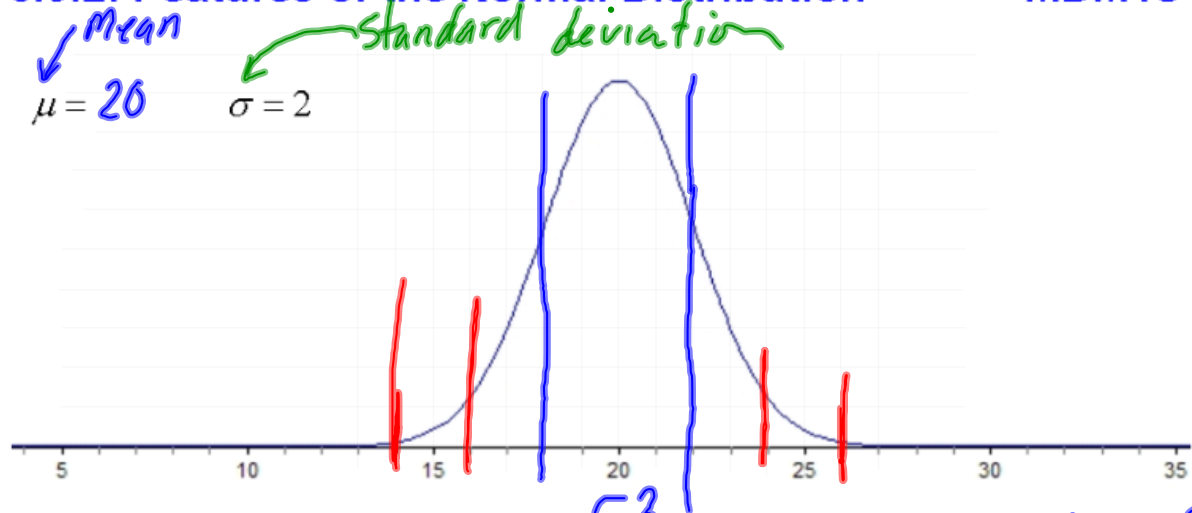


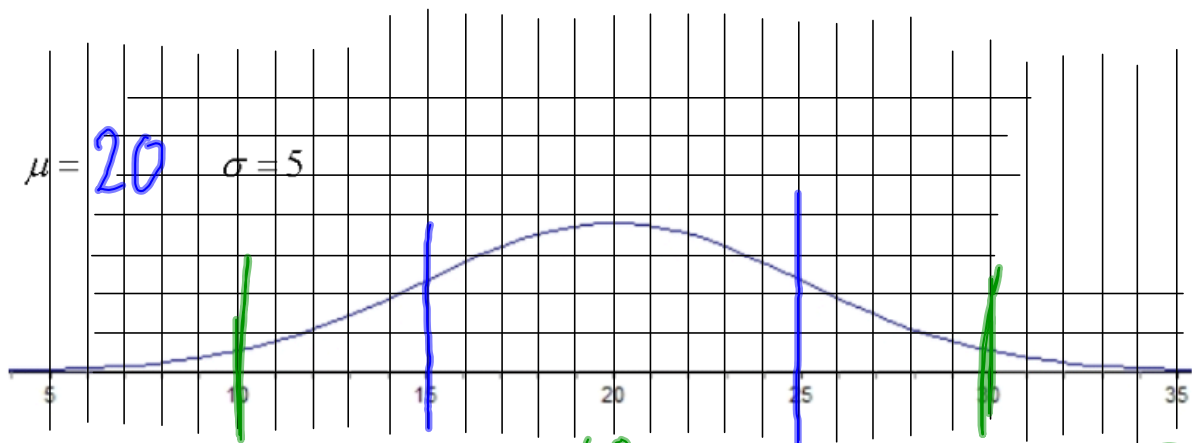
5.3.2: Features of the Normal Distribution

MDM4U



Total number of squares under the curve: 53
 Number of squares ± 1 Std. Dev of mean: 34
 Number of squares ± 2 Std. Dev of mean: 48
 Number of squares ± 3 Std. Dev of mean: 52

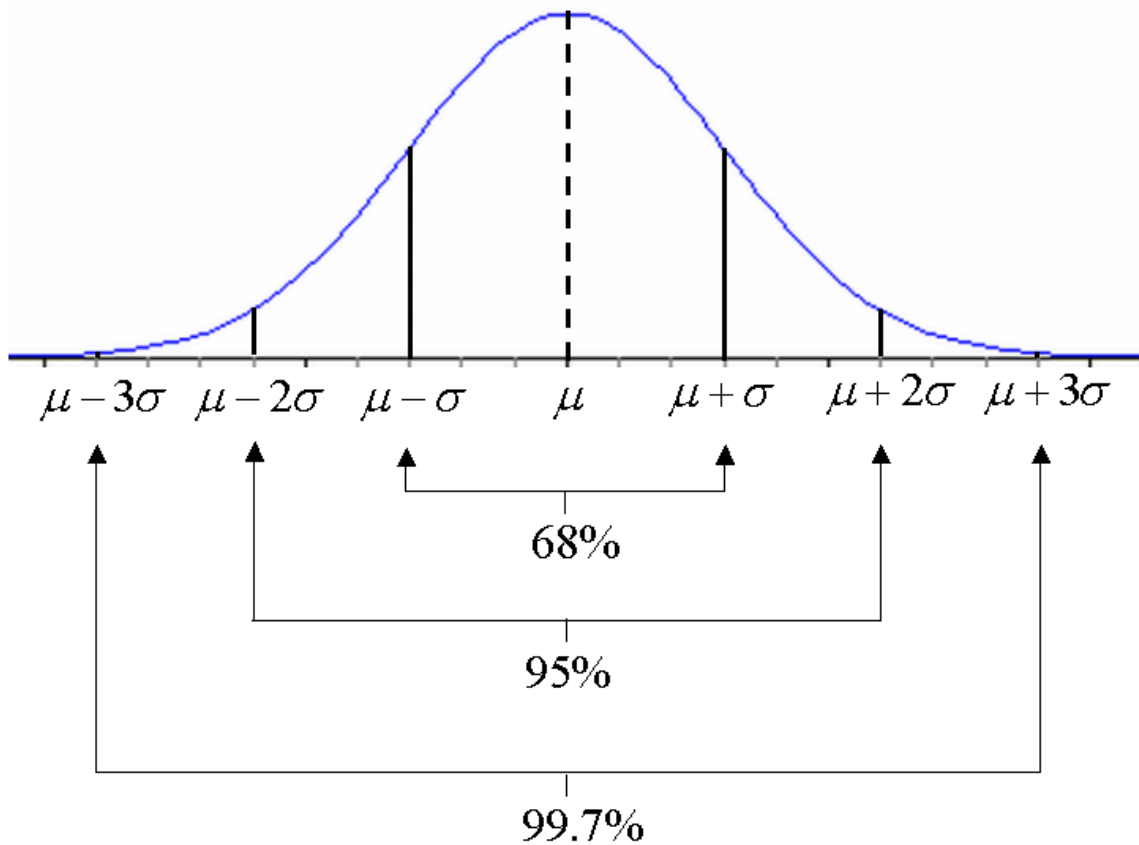
Fraction of Total: $\frac{34}{53} = 64\%$
 Fraction of Total: $\frac{48}{53} = 91\%$
 Fraction of Total: $\frac{52}{53} = 98\%$



Total number of squares under the curve: 60
 Number of squares ± 1 Std. Dev of mean: 36
 Number of squares ± 2 Std. Dev of mean: _____
 Number of squares ± 3 Std. Dev of mean: _____

Fraction of Total: $\frac{36}{60} = 60\%$
 Fraction of Total: $\frac{45}{60} = 75\%$
 Fraction of Total: $\frac{54}{60} = 90\%$

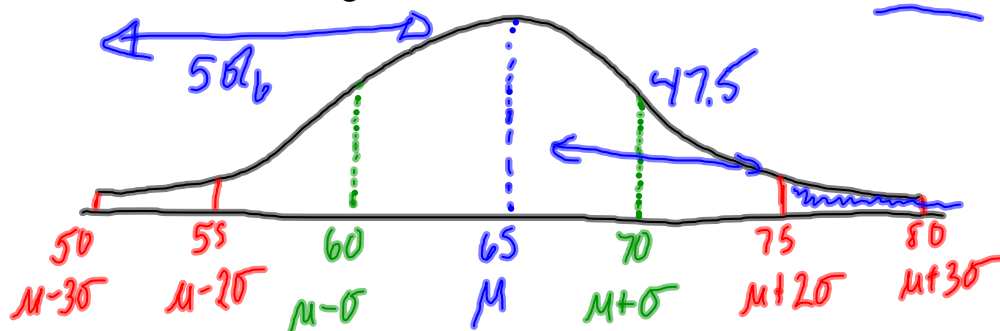
Summarize Your Observations: What do you notice about the number of squares under the curve for each distribution? Write a rule for the percentage of data points within 1, 2 and 3 standard deviations of the mean.



Example:

The mass of 17 year olds in a data management course is normally distributed. The mean is 65 kg and the standard deviation is 5 kg.

- a) Sketch the curve including the mean, and standard deviation intervals.



- b) Determine the probability that a student in the class has a mass between 60kg and 65kg. $P(60 < X < 65) = \frac{68}{2} = 34\%$
- c) Determine the probability that a student in the class has a mass greater than 75kg. $P(X > 75) = 100 - (50 + 47.5) = 2.5\%$